**6.** The variance in waiting times (in minutes) of 10 attendees at Bethel Woods, where attendees enter a single waiting line that feeds three checkpoint windows is 0.227 minutes. A 95% confidence interval for the population variance would be

c. 25

**a.** (0.122, 0.510)

**a.** 97

**b.** (0.685, 0.811)

**c**. (0.108, 0.757)

**d.** 68

**e.** 40

**d.** (1.960, 2.250)

e. na

**b.** 5

7. A 95% confidence interval for a population proportion calculated using data from a random sample of size n = 500 is (0.13, 0.73). Which of the following is the margin of error of this interval?

**a.** 0.60

**b.** 0.30

**c**. 0.15

**d.** 0.95

**e.** 0.45

- **8.** We observed 28 successes in 70 Bernoulli trials. Compute a 95% confidence interval to estimate the population proportion of successes.
- 9. When 16 cigarettes of a particular brand were tested in a laboratory for the amount of tar content, it was found that the mean tar content was 18.3 mg with s = 1.8 mg. Set a 95% confidence interval for the mean tar content,  $\mu$ , in the population of cigarettes of this brand.
- **10.** The average heights of a random sample of 400 people from a city is 1.75 m. It is known that the heights of the population are random variables that follow a normal distribution with a variance of 0.16. For a confidence level of 90%, what would the minimum sample size need to be in order for the true mean of the heights to be less than 2 cm from the sample mean?
- **11.** On day two of a study on body temperatures, 106 temperatures were taken. Suppose that we only have the first 10 temperatures to work with. The mean and standard deviation of these 10 scores were 98.44°F and 0.30°F, respectively. Construct a 95% confidence interval for the mean of all body temperatures.
- **12.** Captopril is a drug designed to lower systolic blood pressure. When subjects were tested with this drug, their systolic blood pressure readings (in mm of mercury) were measured before and after the drug was taken, with the results given in the following table. (Assume a normal distribution of readings)

Construct a 95% confidence interval to estimate the true mean difference between the before and after readings.

BEFORE	AFTER	difference
200	191	-9
174	170	-4
198	177	-21
170	167	-3
179	159	-20
182	151	-31
193	176	-17
209	183	-26
185	159	-26
155	145	-10
169	146	-23
210	177	-33
	mean ->	-18.58
standard deviation ->		10.10